

# Thermal issues

Note Title

10/28/2007

We previously saw that:

$$\text{In general} \rightarrow U_{sw} = \frac{V_{off} I_{on} t_{sw}}{a} \rightarrow \text{switching losses}$$

$$\text{Linear} \rightarrow a = 6$$

$$\text{Rectangular} \rightarrow a = 2$$

$$\text{Inductive (real diode)} \rightarrow a = 1.5$$

Total losses

$$P_{loss} = P_{cond} + P_{sw} \quad \text{Average values}$$

$$P_{sw} = \frac{U_{sw}}{T} = f_{sw} U_{sw}$$

average power

$$P_{cond} = \frac{U_{cond}}{T} = \frac{I_{on}^2 R_{ds(on)} t_{cond}}{T} = D I_{on}^2 R_{ds(on)}$$

$$\text{So for MOSFETS } P_{cond} = \frac{I_{on}^2 R_{ds(on)} t_{cond}}{T} = D I_{on}^2 R_{ds(on)}$$

$$\text{For DIODES} \rightarrow P_{cond} = \frac{V_{fw} I_{on} t_{cond}}{T} = D V_{fw} I_{on}$$

Now, let's see how we control these losses.

These losses produce heat.

Heat transfer

Heat flow  $\rightarrow q$  (in  $W/m^2$ )  $\rightarrow$  This is not charge.

Conduction  $\rightarrow q = k \nabla T$   $\rightarrow$  temperature gradient

$\hookrightarrow k$   
thermal conductivity  $W/(m \cdot K)$

convection (fluid flow)  $\rightarrow q = h (T_{object} - T_{ambient})$

$\downarrow$  From one object to another  $\hookrightarrow$  heat transfer coefficient

Radiation  $\rightarrow q = \epsilon \sigma T^4$

$\sigma = 5.67 \cdot 10^{-8} \frac{W}{m^2 K^4}$   
 $\hookrightarrow$  Stephan-Boltzmann constant  
emissivity (1 for black body)

$\downarrow$  Mainly in space applications

Primary heat dissipation mechanisms  $\rightarrow$  Both linear

Leads to Ohm's law analogy

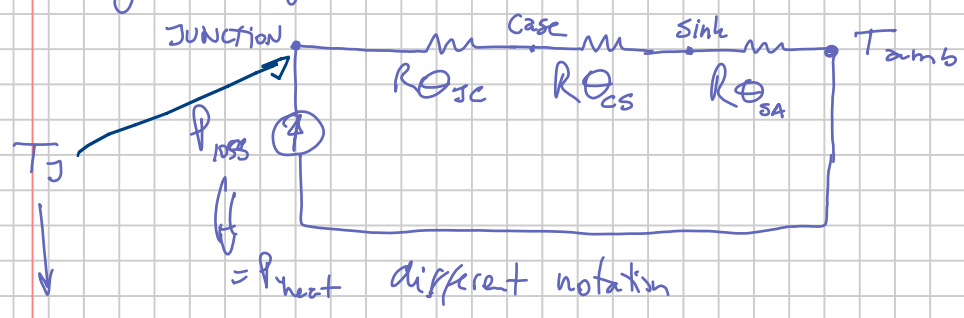
$$P_{heat} = \frac{1}{R_{\theta}} \Delta T$$

"current" measured in W

"voltage" drop measured in K

Although usually is  $^{\circ}C$

Good things  $\rightarrow P_{heat}$  low or  $R_{\theta}$  low



want  $T_j <$  specified value

$\theta_{jc} \rightarrow$  given by switch manufacturer

Dynamic effects:

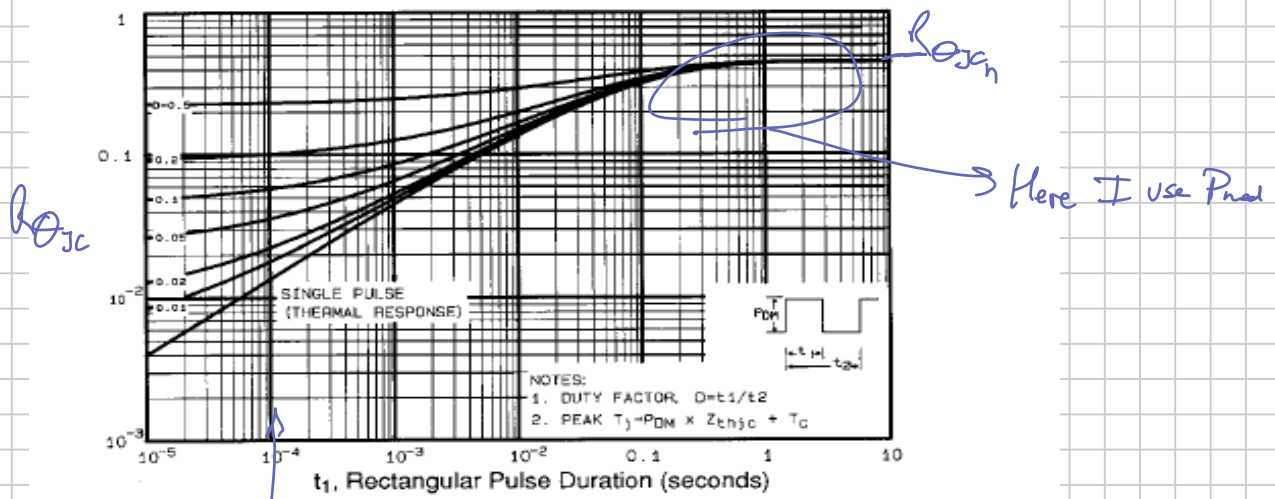
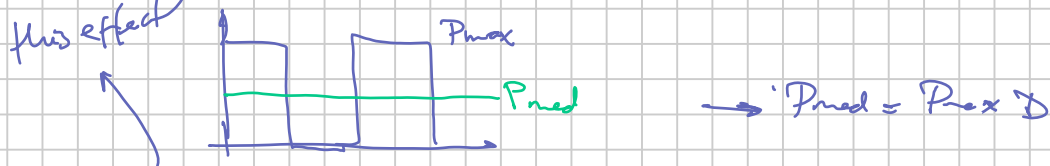
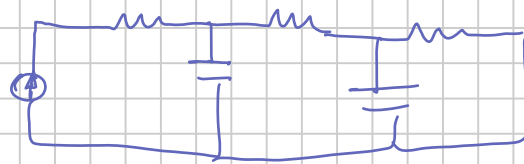


Fig 11. Maximum Effective Transient Thermal Impedance, Junction-to-Case



Thermal inertia is represented with capacitors



$R_{\theta_s}$  → Depends on how the device is mounted onto the heatsink.

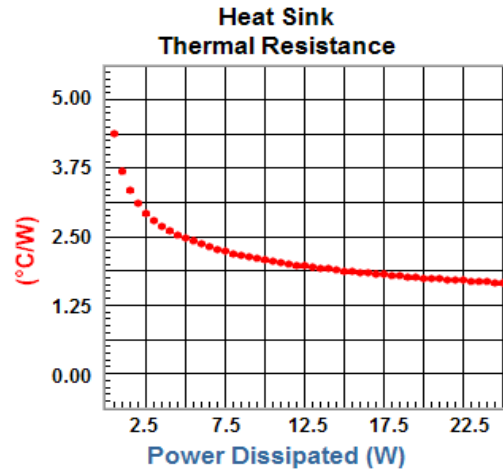
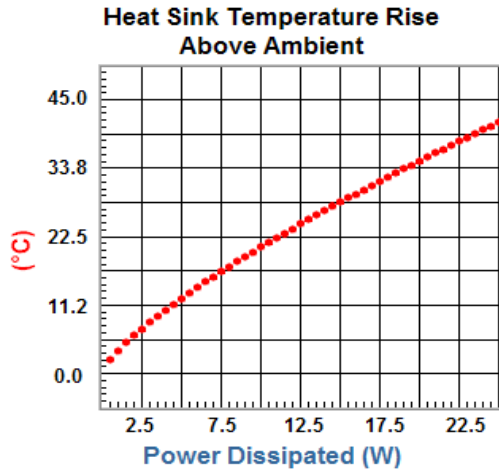
$R_{\theta_{SA}}$  → depends on

- Shape of heatsink (fins)
- Area of heatsink
- Color of heatsink
- Material of heatsink
- Dissipated power (chimene effect)

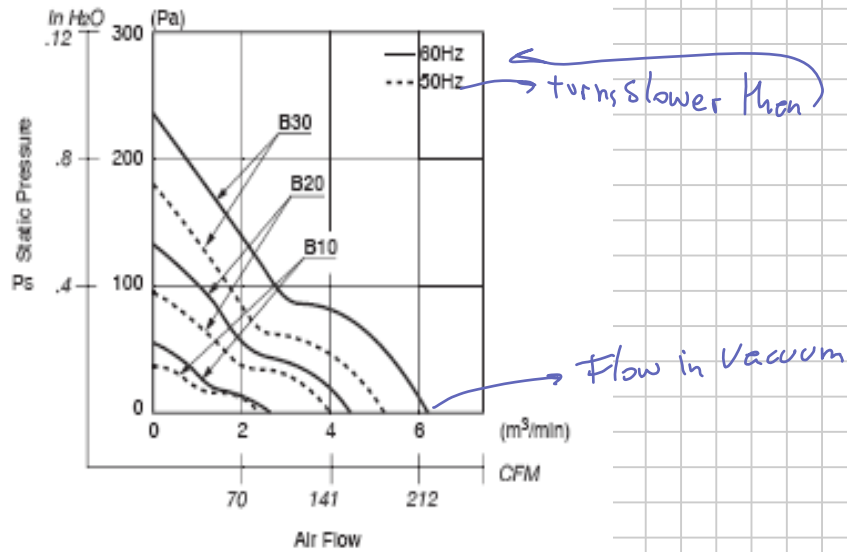
- Design procedure :
- 1) Calculate  $P_{loss}$
  - 2) Choose a desired  $\Delta T_{JA}$
  - 3) Look into device's datasheet for  $R_{\theta_{sc}}$  and  $R_{\theta_{cs}}$
  - 4) Calculate  $R_{\theta_{JA}} = \frac{\Delta T_{JA}}{P_{loss}}$
  - 5) Calculate  $R_{\theta_{SA}} = R_{\theta_{JA}} - R_{\theta_{sc}} - R_{\theta_{cs}}$

6) Find a heat sink such that for the specified  $P_{loss} : R_{\theta_{HeatSink}} < R_{\theta_{sa}}$

**Natural Convection**



Forced heat dissipation (with fans)



$$\Delta T = T_{air\ in} - T_{air\ out} = 1.89 \frac{P}{F}$$

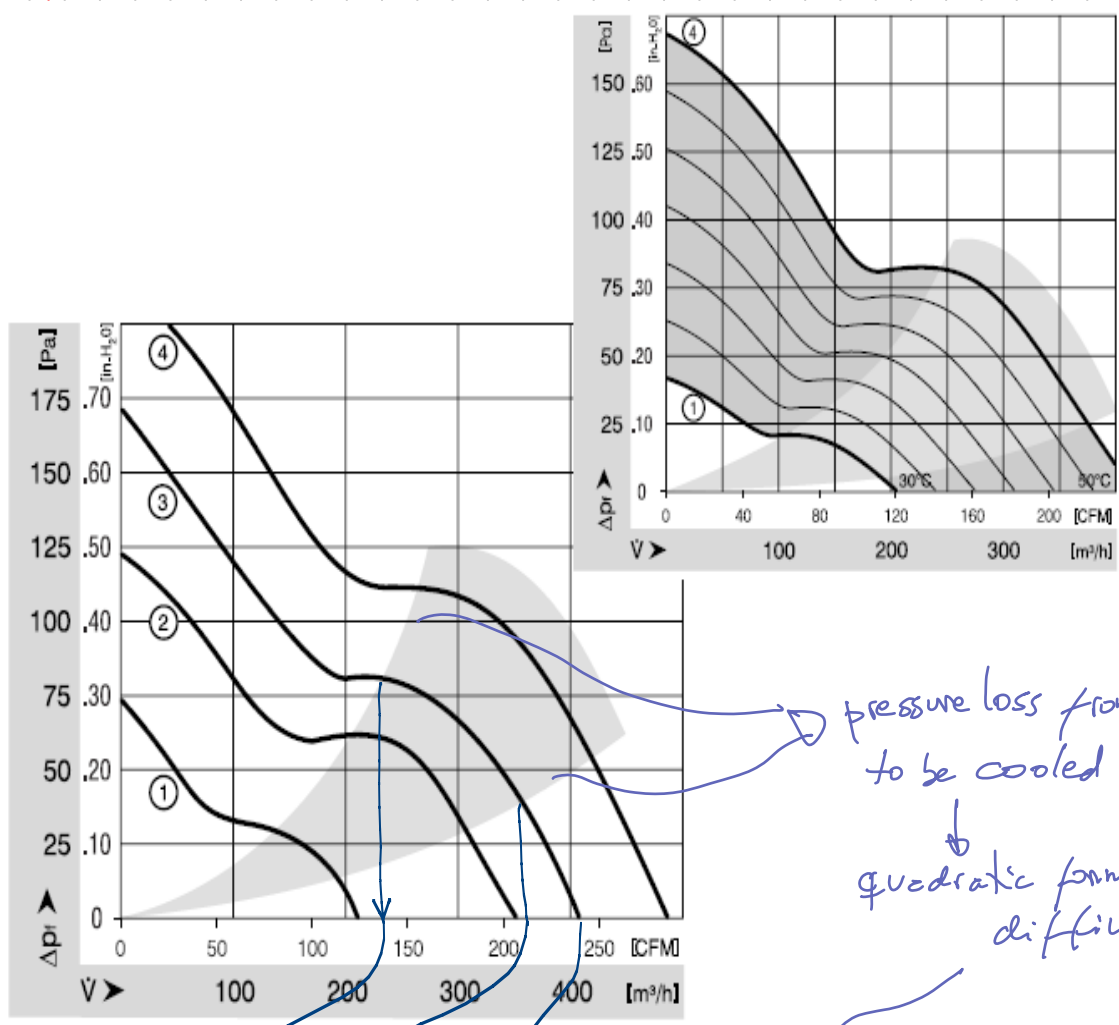
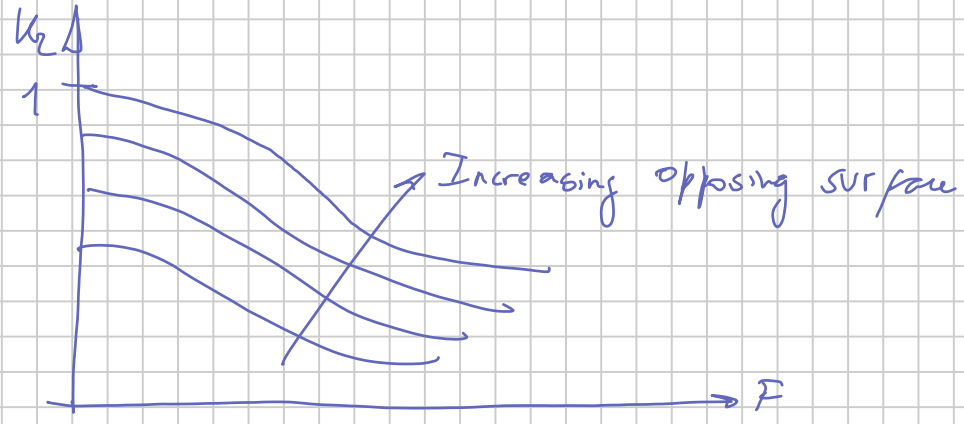
$T_{amb}$

Again  $\Delta T$  and  $P$  are related linearly

$$\frac{\Delta T}{P} = R_{\theta_{fan}} = \frac{1.89}{F}$$

$F \rightarrow P \text{ in CFM}$

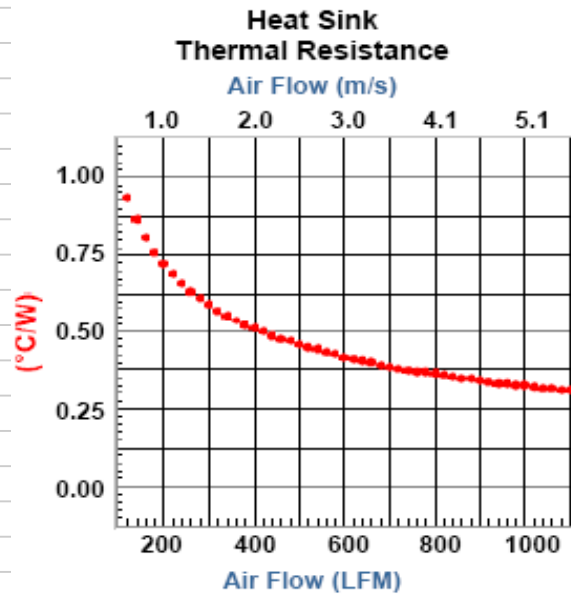
If  $k_2 = \frac{R_{\text{forced dis.}}}{R_{\text{natural convection}}} < 1$



140  
210  
240  
↓  
Now

So a fan with a maximum air flow 1.3 to 2 times the required air flow is selected

what is required?



CFM  $\rightarrow$  ft<sup>3</sup>/minute  
 LFM  $\rightarrow$  linear ft/minute

$\left\{ \begin{array}{l} \text{LFM} = \text{CFM} / \text{Area} \\ \text{Area in ft}^2 \end{array} \right.$