## Application of I mage Restoration Techniques in Flow Scalar I maging Experiments



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Flow scalar imaging experiments
> Resolution requirements

$$
\begin{aligned}
& \lambda_{V} / \delta \propto \mathrm{Re}_{\delta}^{-3 / 4} \\
& \lambda_{D} / \delta \propto S c^{-1 / 2} \mathrm{Re}_{\delta}^{-3 / 4} \\
\% & \lambda_{\mathrm{v}} \text { and } \lambda_{\mathrm{D}}: \text { smallest local length scales }
\end{aligned}
$$

> Resolution restrictions

* CCD camera pixel spacing/size
* Imaging lens blurring effect, especially for FAST optics
> In this project
* Improve resolution and measurement accuracy by image restoration techniques;
* Estimate measurement error due to blurring;

PLIF (Planar Laser Induced Fluorescence) image $\operatorname{Re}_{\mathrm{d} 1 / 2}=9600, \mathrm{Sc}=1.5$, [Tsurikov, 2002]

## Background



Linear degradation model
$>$ Blurring model $\quad g(x, y)=f(x, y) * h(x, y)+n(x, y)$
> True image $\mathrm{f}(\mathrm{x}, \mathrm{y})$ Flow Scalar field with Poisson noise
> LSI Filter h(x,y) Point Spread Function (PSF) of camera lens
$>$ Noise $\mathrm{n}(\mathrm{x}, \mathrm{y}) \quad$ Additive noise, i.e. CCD camera readout noise
$>$ Interested in $f(x, y)$ and $h(x, y)$

## Key Paper \#1

> R. Molina, J. Nunez, F.J. Cortijo and J. Mateos, "Image Restoration in Astronomy: a Bayesian perspective ", IEEE Signal Processing Magazine, vol.18, no. 2, pp.11-29, Mar. 2001
 $\rightarrow$ Lots in common:

* Low light level imaging;
* Images degraded by imaging optics;
* Signal related noise (Poisson noise);
* CCD camera read-out noise;
> Algorithms
* Bayesian methods
* Expectation Maximization algorithm
* Successive substitution
* Acceleration and stopping rules
> Provides good web resources


## Key Paper \#2

> D. Kundur and D. Hatzinakos, IEEE Signal Processing Magazine, vol. 13, 1996
> "Blind Image Deconvolution", no. 3, pp.43-64, May
> "Blind Image Deconvolution Revisited", no. 6, pp.61-


| Class of algorithms | Zero Sheet Separation | A priori blur identification | ARAM Parameter Extraction | Nonparametric Deterministic Constrains Algorithm | HOS method |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Assumptions about the TRUE image | Finite support | Possibly contains edges or point sources | Modeled by an AR process | Deterministic constrains (non-negativity, support, blur invariant edge) | Accurately modeled by a non-Gaussian probability distribution |
| Assumptions about the blur | Finite support | Symmetric and nonminimum phase with a possibly known parametric form | Symmetric and modeled by an MA process of a possibly known parametric form | IBD and SA: positive with known finite support; NAS-RIF: invertible | invertible |
| Complexity | High | Very low (not iterative) | Moderate to high | Low to moderate | Moderate |
| Convergence properties | Sensitive to numerical accuracies; illconvergence | Not iterative | ill-convergence to local minima; sensitive to initial condition | IBD: ill-convergence; sensitive to initial estimate; SA and NAS-RIF: converge to local minima | Ill- <br> convergence; sensitive to initial estimate |
| Sensitivity to additive noise | High | Moderate to high | Moderate | IBD: low SA: moderate; NAS_RIF: moderate to high; | Low (Gaussian) |
| Application area | Astronomy | Astronomy, industrial x-ray imaging; photography | Photography; texture image reconstruction | Magnetic resonance imaging; x-ray imaging; astronomy | Astronomy; seismic data |

## Key Paper \#3

M. R. Banham and A. K. Katsaggelos, "Digital Image Restoration", IEEE Signal Processing Magazine, vol.
14, no. 2, pp.24-41, Mar. 1997


* Iterative Approaches
* Recursive Approaches

