

RASTER IMAGE PROCESSING ON THE TMS320C6X VLIW DSP

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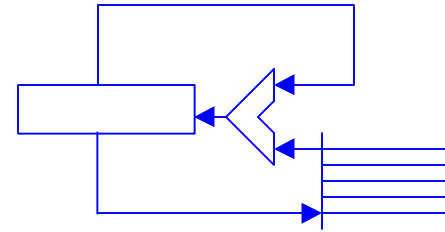
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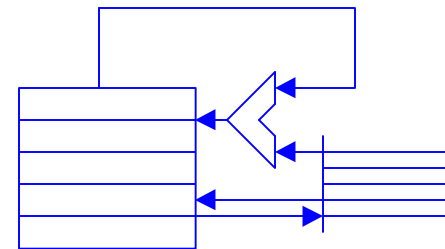
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<http://signal.ece.utexas.edu/>

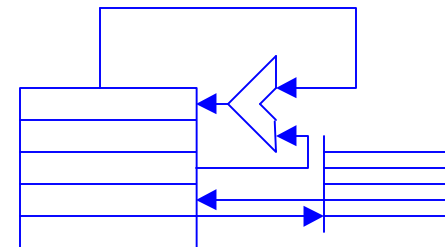
Accumulator architecture



Memory-register architecture



Load-store architecture

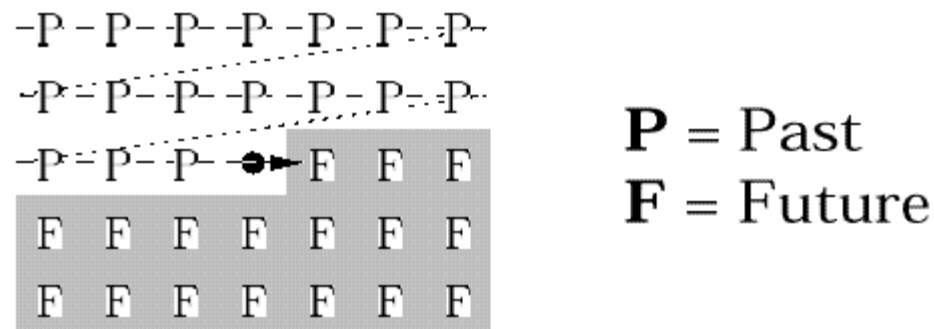


Outline

- Introduction
- Color conversion
- Interpolation
- Halftoning
- C/C++ coding tips
- Conclusion

Introduction

■ Raster scan



■ Raster image processing

- ▶ Process one or more rows at a time
- ▶ Pixel operations: color conversion, ordered dither halftoning
- ▶ Local operations: JPEG coding, FIR filtering, interpolation, error diffusion halftoning

Raster Image Processing on the TMS320C6x

- TMS320C6x works best with 16-bit data
 - ▶ Bytes per image pixel: 1 for greyscale, 3 or 4 for color
 - ▶ Reduce processor performance or double memory
- Number of 4800-pixel rows (e.g. 8 in. at 600 dpi) of a greyscale image that can fit into memory

<i>Processor</i>	<i>MHz</i>	<i>Data (kbits)</i>	<i>Program (kbits)</i>	<i>Price</i>	<i>Max Rows byte pixels</i>	<i>Max Rows halfwords</i>
C6211 **	167	32+512	32	\$25	13	6.5
C6201	200	512	512	\$159	13	6.5
C6202	250	1000	2000	\$184	26	13.0
C6203	300	4000	3000	n/a	104	52.0

** C6211 has 512 kbits of L2 on-chip cache.
All of it used for the image.

Color Spaces

■ RGB: Red Green Blue

- ▶ Additive color
- ▶ CRT displays

■ YCrCb: Luminance Chrominance

- ▶ Decouples intensity and color information
- ▶ Digital image/video compression standards (digital TV)
- ▶ Eye less sensitive to chrominance than luminance:
subsample Cr/Cb without significant visual degradation

■ CMY(K): Cyan Magenta Yellow (Black)

- ▶ Subtractive color
- ▶ Printing and photography
- ▶ Black ink used for improved color gamut, and faster drying and purer rendering for black and greys

ITU RGB to YCrCb Standards

■ Nested conversion formulas

- ▶ $Y = C_{\text{red}} R + C_{\text{green}} G + C_{\text{blue}} B$
- ▶ $C_r = (R - Y) / (2 - 2 C_{\text{red}})$
- ▶ $C_b = (B - Y) / (2 - 2 C_{\text{blue}})$

■ 8-bit format

- ▶ Y, R, G, B in $[0, 255]$
- ▶ C_r in $[-128, 127]$
- ▶ C_b in $[-128, 127]$

<i>Recommendation</i>	C_{red}	C_{green}	C_{blue}	$C_r \text{ range}$	$C_b \text{ range}$
<i>ITU (CCIR) 601-1</i>	0.2989	0.5866	0.1145	$[-182, 182]$	$[-144, 144]$
<i>ITU (CCIR) 709</i>	0.2126	0.7152	0.0722	$[-162, 162]$	$[-137, 137]$
<i>ITU</i>	0.2220	0.7067	0.0713	$[-164, 164]$	$[-137, 137]$

- Y is lossless, but Cr/Cb is clipped to $[-128, 127]$
- Assume that RGB has been gamma corrected
- Rec 601-1 used with TIFF and JPEG standards

ITU YCrCb to RGB Standards

■ Nested conversion formulas

- ▶ $R = Y + (2 - 2 C_{\text{red}}) C_r$
- ▶ $B = Y + (2 - 2 C_{\text{blue}}) C_b$
- ▶ $G = (Y - C_{\text{blue}} B - C_{\text{red}} R) / C_{\text{green}}$

■ 8-bit format

- ▶ Y, R, G, B in $[0, 255]$
- ▶ C_r in $[-128, 127]$
- ▶ C_b in $[-128, 127]$

<i>Recommendation</i>	C_{red}	C_{green}	C_{blue}	<i>R range</i>	<i>B range</i>
<i>ITU (CCIR) 601-1</i>	0.2989	0.5866	0.1145	$[-179, 433]$	$[-227, 480]$
<i>ITU (CCIR) 709</i>	0.2126	0.7152	0.0722	$[-200, 455]$	$[-238, 493]$
<i>ITU</i>	0.2220	0.7067	0.0713	$[-199, 453]$	$[-238, 493]$

■ Range of G is $[-134, 390]$ for Rec 601-1

■ RGB values are clipped to $[0, 255]$ and rounded

<http://www.neuro.sfc.keio.ac.jp/~aly/polygon/info/color-space-faq.html>

http://www.inforamp.net/~poynton/notes/colour_and_gamma/ColorFAQ.html

RGB/YCrCb Conversion in Floating Point

■ Nested formulas

$$Y = 0.2989 R + 0.5866 G + 0.1145 B$$

$$R = Y + 1.4022 C_r$$

$$C_r = 0.7132 (R - Y)$$

$$B = Y + 1.7710 C_b$$

$$C_b = 0.5647 (B - Y)$$

$$G = 1.7047 Y - 0.1952 B - 0.5647 R$$

■ Matrix multiplication

$$\begin{bmatrix} 0.2989 & 0.5866 & 0.1145 \\ 0.5000 & -0.4183 & -0.0817 \\ -0.1688 & -0.3312 & 0.5000 \end{bmatrix}$$

$$\begin{bmatrix} 1 & 1.4022 & 0 \\ 1 & -0.7145 & -0.3458 \\ 1 & 0 & 1.7710 \end{bmatrix}$$

$$[Y \ C_r \ C_b]^T = \mathbf{M} [R \ G \ B]^T$$

$$[R \ G \ B]^T = \mathbf{M} [Y \ C_r \ C_b]^T$$

■ Round and clip each quantity to eight bits

RGB/YCrCb Conversion in Fixed Point

- **Multiplication by direction calculation**
 - ▶ Quantize coefficients
 - ▶ Put coefficients in registers and stream pixels
 - ▶ Highly accurate under extended precision accumulation
 - ▶ Well-matched to DSPs and graphics cards
- **Multiplication by table lookup**
 - ▶ Precalculate multiplications (floating point times byte)
 - ▶ Store in 5 (9) 256-byte tables for nested (matrix) formulas means 5 (9) times increase in memory bandwidth and poor cache performance
 - ▶ Do not need extended precision accumulators
 - ▶ Well-matched to ASICs and microcontrollers
- **Additions: 4 (6) for nested (matrix) formulas**

RGB/YCrCb Conversion on 16-bit DSP

- Move 8-bit color quantity to upper 8 of 16 bits
- Use 16 x 16 multiplication, 32-bit accumulation
- Nested formulas (coefficients scaled by $2^{15}-1$)

$$Y = 9794 R + 19221 G + 3752 B$$

$$R = Y + 2 (22973 C_r)$$

$$C_r = 23369 (R - Y)$$

$$B = Y + 2 (29015 C_b)$$

$$C_b = 18504 (B - Y)$$

$$G = 2 (27929) Y - 6396 B - 18504 R$$

- Matrix multiplication (coefficients scaled by $2^{15}-1$)

$$\begin{bmatrix} 9794 & 19221 & 3752 \\ 16384 & -13706 & -2677 \\ -5531 & -10852 & 16384 \end{bmatrix}$$

$$[Y \ C_r \ C_b]^T = \mathbf{M} [R \ G \ B]^T$$

$$\begin{bmatrix} 32767 & 2 (22973) & 0 \\ 32767 & -23412 & -11331 \\ 32767 & 0 & 2 (29015) \end{bmatrix}$$

$$[R \ G \ B]^T = \mathbf{M} [Y \ C_r \ C_b]^T$$

RGB to CMY and CMYK

■ RGB to CMY (ideal case)

- ▶ $C = 255 - R$
- ▶ $M = 255 - G$
- ▶ $Y = 255 - B$

Division takes 1 or 2 instructions per bit of precision in result

■ CMY to CMYK

- ▶ $K = \min(C, M, Y)$
- ▶ $C = 255 (C - K) / (255 - K)$
- ▶ $M = 255 (M - K) / (255 - K)$
- ▶ $Y = 255 (Y - K) / (255 - K)$
- ▶ 2-D lookup tables

RGB to CMYK

$$K = 255 - \max(R, G, B)$$

$$C = 255 (m - R) / m$$

$$M = 255 (m - G) / m$$

$$Y = 255 (m - B) / m$$

$$m = \max(R, G, B)$$

■ R, G, B, C, M, Y , and K have a range of $[0, 255]$

■ Useful in printers and copiers

Matrix Computation Example

```
; Texas Instruments, INC.  
;  
; MATRIX VECTOR MULTIPLY  
;  
; ftp://ftp.ti.com/pub/tms320bbs/c67xfiles/mvm.asm  
;  
; DESCRIPTION  
; A[][] * B[] = C[]  
;  
; ARGUMENTS PASSED  
; a[]      -> A4  
; b[]      -> B4  
; c[]      -> A6  
; rows     -> B6  
; columns  -> A8  
;  
; CYCLES  
; (n + 20)*m + 1 (m = # of rows, n = # of columns)
```

Matrix Computation Example (cont.)

```

*** begin pipelining inner loop

||      SUB    .L1X    rows,1,ocntr
||      ADD    .L2     bptr,4,btmp
||      LDW    .D1T1   *aptr++(4),aa0    ;1  load a[i] from memory
||      LDW    .D2T2   *bptr,bb0         ;1  load b[i] from memory
||      SUB    .S2X    cols,1,lcnter    ;   load cnter = comumns - 1

oloop:

    [lcnter] LDW    .D1T1   *aptr++(4),aa0    ;2  if(lcnter) load a[i] from memory
|| [lcnter] LDW    .D2T2   *btmp++(4),bb0    ;2  if(lcnter) load b[i] from memory
|| [lcnter] SUB    .L2     lcnter,1,lcnter    ;2  if(lcnter) lcnter -= 1
||      SUB    .S1     cols,2,icnter        ;
||      ZERO   .L1     sum0                ;   zero the running sum

    [lcnter] LDW    .D1T1   *aptr++(4),aa0    ;3  if(lcnter) load a[i] from memory
|| [lcnter] LDW    .D2T2   *btmp++(4),bb0    ;3  if(lcnter) load b[i] from memory

|| [lcnter] SUB    .L2     lcnter,1,lcnter    ;3  if(lcnter) lcnter -= 1

    [lcnter] LDW    .D1T1   *aptr++(4),aa0    ;4  if(lcnter) load a[i] from memory
|| [lcnter] LDW    .D2T2   *btmp++(4),bb0    ;4  if(lcnter) load b[i] from memory
|| [lcnter] SUB    .L2     lcnter,1,lcnter    ;4  if(lcnter) lcnter -= 1

```

Matrix Computation Example (cont.)

[lcnter]	LDW	.D1T1	*aptr++(4),aa0	;5 if(lcnter) load a[i] from memory
[lcnter]	LDW	.D2T2	*btmp++(4),bb0	;5 if(lcnter) load b[i] from memory
[lcnter]	SUB	.L2	lcnter,1,lcnter	;5 if(lcnter) lcnter -= 1
	B	.S2	iloop	;1 branch to iloop
[lcnter]	LDW	.D1T1	*aptr++(4),aa0	;6 if(lcnter) load a[i] from memory
[lcnter]	LDW	.D2T2	*btmp++(4),bb0	;6 if(lcnter) load b[i] from memory
[lcnter]	SUB	.L2	lcnter,1,lcnter	;6 if(lcnter) lcnter -= 1
[icnter]	SUB	.L1	icnter,1,icnter	;6 if(icnter) icnter -= 1
	MPYSP	.M1X	aa0,bb0,mult0	;1 mult0 = a[i]*b[i]
[icnter]	B	.S2	iloop	;2 if(icnter) branch to iloop
[lcnter]	LDW	.D1T1	*aptr++(4),aa0	;7 if(lcnter) load a[i] from memory
[lcnter]	LDW	.D2T2	*btmp++(4),bb0	;7 if(lcnter) load b[i] from memory
[lcnter]	SUB	.L2	lcnter,1,lcnter	;7 if(lcnter) lcnter -= 1
[icnter]	SUB	.L1	icnter,1,icnter	;7 if(icnter) icnter -= 1
	MPYSP	.M1X	aa0,bb0,mult0	;2 mult0 = a[i]*b[i]
[icnter]	B	.S2	iloop	;3 if(icnter) branch to iloop

Matrix Computation Example (cont.)

```

    [lcnter] LDW    .D1T1    *aptr++(4),aa0    ;8  if(lcnter) load a[i] from memory
|| [lcnter] LDW    .D2T2    *btmp++(4),bb0    ;8  if(lcnter) load b[i] from memory
|| [lcnter] SUB    .L2      lcnter,1,lcnter    ;8  if(lcnter) lcnter -= 1
|| [icnter] SUB    .L1      icnter,1,icnter    ;8  if(icnter) icnter -= 1
||          MPYSP   .M1X     aa0,bb0,mult0    ;3  mult0 = a[i]*b[i]
|| [icnter] B      .S2      iloop             ;4  if(icnter) branch to iloop

    [lcnter] LDW    .D1T1    *aptr++(4),aa0    ;9  if(lcnter) load a[i] from memory
|| [lcnter] LDW    .D2T2    *btmp++(4),bb0    ;9  if(lcnter) load b[i] from memory
|| [lcnter] SUB    .L2      lcnter,1,lcnter    ;9  if(lcnter) lcnter -= 1
|| [icnter] SUB    .L1      icnter,1,icnter    ;9  if(icnter) icnter -= 1
||          MPYSP   .M1X     aa0,bb0,mult0    ;4  mult0 = a[i]*b[i]
|| [icnter] B      .S2      iloop             ;5  if(icnter) branch to iloop

iloop:

    [lcnter] LDW    .D1T1    *aptr++(4),aa0    ;10 if(lcnter) load a[i] from memory
|| [lcnter] LDW    .D2T2    *btmp++(4),bb0    ;10 if(lcnter) load b[i] from memory
|| [lcnter] SUB    .L2      lcnter,1,lcnter    ;10 if(lcnter) lcnter -= 1
|| [icnter] SUB    .S1      icnter,1,icnter    ;10 if(icnter) icnter -= 1
||          MPYSP   .M1X     aa0,bb0,mult0    ;5  mult0 = a[i]*b[i]
||          ADDSP   .L1      mult0,sum0,sum0   ;1  sum0 = sum0+mult0
|| [icnter] B      .S2      iloop             ;6  if(icnter) branch to iloop

```

Matrix Computation Example (cont.)

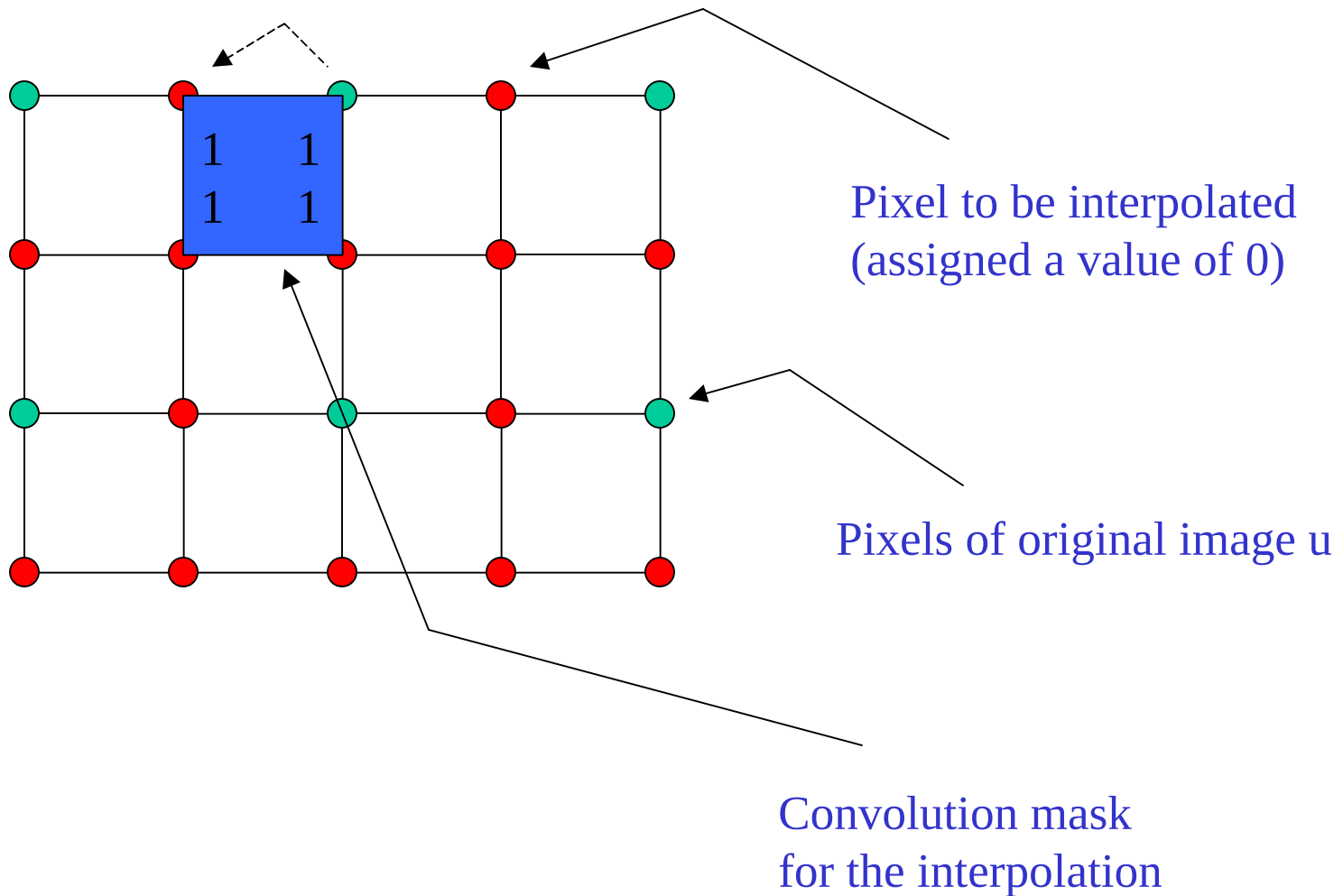
***** add up the running sums ***

```

                MV      .D1      sum0,temp1      ;      temp1 = sum0
                ADDSP   .L1      sum0,temp1,temp2 ;      temp2 = temp1 + sum0 (2nd sum0)
                MV      .D1      sum0,temp1      ;      temp1 = sum0 (the 3rd sum0)
                ADDSP   .L1      sum0,temp1,temp3 ;      temp3 = temp1 + sum0 (4th sum0)
                NOP     2          ;      wait for temp3
[ocntr]        B       .S2      oloop            ;      if(ocntr) branch to oloop
                ADDSP   .L1      temp2,temp3,sum0 ;      sum0 = temp2 + temp3
***
[ocntr]        MV      .D2      bptr,btmp        ;      reset *b to beginning of b
||             SUB     .S1      colms,2,icntr    ;      inner cntr = columns - 2
||             SUB     .S2X     colms,1,lcntr     ;      load cntr = comumns - 1
||             LDW     .D1T1    *aptr++(4),aa0    ;1     load a[i] from memory
||             LDW     .D2T2    *btmp++(4),bb0    ;1     load b[i] from memory
||             STW     .D1      sum0,*cptr++(4)   ;      c[i] = sum0
|| [ocntr]      SUB     .L1      ocntr,1,ocntr    ;      if(ocntr) ocntr -= 1

```


Nearest Neighbor Interpolation



Nearest Neighbor Interpolation

- Interpolation by pixel replication

- ▶ Computationally simple
- ▶ Aliasing

```
/* v is the zoomed (interpolated) version of u */  
v[m,n]=u[round(m/2),round(n/2)]
```

- May be implemented as 2-D

FIR filter by $\mathbf{H}$

- ▶ Alternate pixels may be skipped

$$\mathbf{H} = \begin{bmatrix} \boxed{1} & 1 \\ 1 & 1 \end{bmatrix}$$

Bilinear Interpolation

- Interpolate rows then columns (or vice-versa)

- ▶ Increased complexity
- ▶ Reduced aliasing

```
/* v is the zoomed (interpolated) version of u */  
v1[m,2n]    = u[m,n]  
v1[m,2n+1]  = a1*u[m,n]+a2*u[m,n+1]  
v[2m,n]     = v1[m,n]  
v[2m+1,n]   = b1*v1[m,n]+b2*v1[m+1,n]
```

- May be implemented as a 2-D FIR filter by **H** followed by a shift

$$\mathbf{H} = \begin{bmatrix} 1 & 2 & 1 \\ 2 & 4 & 2 \\ 1 & 2 & 1 \end{bmatrix} \gg 4$$

2-D FIR Filter

■ Difference equation

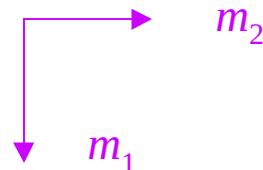
$$y(n) = 2 x(n_1, n_2) + 3 x(n_1-1, n_2) + x(n_1, n_2-1) + x(n_1-1, n_2-1)$$

■ Flow graph

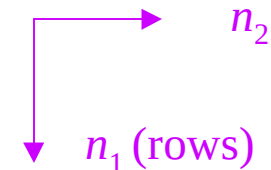
$$y(n_1, n_2) = \sum_{m_1=0}^{M_1-1} \sum_{m_2=0}^{M_2-1} a(m_1, m_2) x(n_1 - m_1, n_2 - m_2)$$

0	0	0
0	2	1
0	3	1

$a(m_1, m_2)$



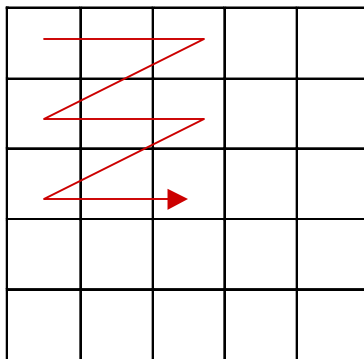
$x(n_1, n_2)$



- Vector dot product plus keep M_1 rows in memory and circularly buffer input

2-D Filter Implementations

- Store $M_1 \times M_2$ filter coefficients in sequential memory (vector) of length $M = M_1 M_2$
- For each output, form vector from $N_1 \times N_2$ image
 - 1 M_1 separate dot products of length M_2 as bytes
 - 2 Form image vector by raster scanning image as bytes
 - 3 Form image vector by raster scanning image as words



Raster scan

	Implementation		
	1	2	3
Throughput (samples/cycle)	1	2	1.5
Data read at one time (bytes)	1	1	2

2-D FIR Implementation #1 on C6x

```

; registers: A5=&a(0,0) B5=&x(n1,n2) B7=M A9=M2 B8=N2
fir2d1 MV .D1 A9,A2 ; inner product length
|| SUB .D2 B8,B7,B10 ; offset to next row
|| CMPLT.L1 B7,A9,A1 ; A1=no more rows to do
|| ZERO .S1 A4 ; initialize accumulator
|| SUB .S2 B7,A9,B7 ; number of taps left
→ fir1 LDBU .D1 *A5++,A6 ; load a(m1,m2), zero fill
|| LDBU .D2 *B5++,B6 ; load x(n1-m1,n2-m2)
|| MPYU .M1X A6,B6,A3 ; A3=a(m1,m2) x(n1-m1,n2-m2)
|| ADD .L1 A3,A4,A4 ; y(n1,n2) += A3
||[A2] SUB .S1 A2,1,A2 ; decrement loop counter
→ ||[A2] B .S2 fir1 ; if A2 != 0, then branch
|| MV .D1 A9,A2 ; inner product length
|| CMPLT.L1 B7,A9,A1 ; A1=no more rows to do
|| ADD .L2 B5,B10,B5 ; advance to next image row
||[!A1]B .S1 fir1 ; outer loop
|| SUB .S2 B7,A9,B7 ; count number of taps left
; A4=y(n1,n2)

```

2-D FIR Implementation #2 on C6x

```

; registers: A5=&a(0,0) B5=&x(n1,n2) A2=M B7=M2 B8=N2
fir2d2 SUB  .D2  B8,B7,B9    ; byte offset between rows
||      ZERO  .L1  A4        ; initialize accumulator
||      SUB   .L2  B7,1,B7    ; B7 = numFilCols - 1
||      ZERO  .S2  B2        ; offset into image data

fir2    LDBU  .D1  *A5++,A6    ; load a(m1,m2), zero fill
||      LDBU  .D2  *B6[B2],B6  ; load x(n1-m1,n2-m2)
||      MPYU  .M1X A6,B6,A3    ; A3=a(m1,m2) x(n1-m1,n2-m2)
||      ADD   .L1  A3,A4,A4    ; y(n1,n2) += A3
||      CMPLT.L2  B2,B7,B1    ; need to go to next row?
||      ADD   .S2  B2,1,B2    ; incr offset into image

[!B1]    ADD   .L2  B2,B9,B2    ; move offset to next row
||[A2]    SUB   .S1  A2,1,A2    ; decrement loop counter
||[A2]    B     .S2  fir2     ; if A2 != 0, then branch
; A4=y(n1,n2)

```

2-D FIR Implementation #3 on C6x

```
; registers: A5=&a(0,0) B5=&x(n1,n2) A2=M B7=M2 B8=N2
fir2d3 ZERO .D1 A4 ; initialize accumulator #1
|| SUB .D2 B8,B7,B9 ; index offset between rows
|| ZERO .L2 B2 ; offset into image data
|| MVKH .S1 0xFF,A8 ; mask to get lowest 8 bits
|| SHR .S2 B7,1,B7 ; divide by 2: 16bit address

ZERO .D2 B4 ; initialize accumulator #2
|| ZERO .L1 A6 ; current coefficient value
|| ZERO .L2 B6 ; current image value
|| SHR .S1 A2,1,A2 ; divide by 2: 16bit address
|| SHR .S2 B9,1,B9 ; divide by 2: 16bit address
```

Initialization

2-D FIR Implementation #3 on C6x (cont.)

```

fir3  LDHU  .D1  *A5++,A6      ; load a(m1,m2) a(m1+1,m2+1)
||     LDHU  .D2  *B6[B2],B6    ; load two pixels of image x
||     CMPLT .L2   B2,B7,B1      ; need to go to next row?
||     ADD   .S2   B2,1,B2       ; incr offset into image

      AND   .L1  A6,A8,A6        ; extract a(m1,m2)
||     AND   .L2  B6,A8,B6        ; extract x(n1-m1,n2-m2)
||     EXTU  .S1  A6,0,8,A9       ; extract a(m1+1,m2+1)
||     EXTU  .S2  B6,0,8,B9       ; extract x(n1-m1+1,n2-m2+1)

      MPYHU  .M1X A6,B6,A3        ; A3=a(m1,m2) x(n1-m1,n2-m2)
||     MPYHU  .M2X A9,B9,B3        ; B3=a*x offset by 1 index
||     ADD   .L1  A3,A4,A4        ; y(n1,n2) += A3
||     ADD   .L2  B3,B4,B4        ; y(n1+1,n2+1) += B3
||[!B1]ADD   .D2  B2,B9,B2        ; move offset to next row
||[A2]SUB    .S1  A2,1,A2         ; decrement loop counter
||[A2]B      .S2  fir3          ; if A2 != 0, then branch
; A4=y(n1,n2) and B4=y(n1+1,n2+1)

```

Main Loop

FIR Filter Implementation on the C6x

```

        MVK    .S1 0x0001,AMR ; modulo block size 2^2
        MVKH   .S1 0x4000,AMR ; modulo addr register B6
        MVK    .S2 2,A2      ; A2 = 2 (four-tap filter)
        ZERO   .L1 A4        ; initialize accumulators
        ZERO   .L2 B4
; initialize pointers A5, B6, and A7
fir     LDW    .D1 *A5++,A0   ; load a(n) and a(n+1)
        LDW    .D2 *B6++,B1   ; load x(n) and x(n+1)
        MPY    .M1X A0,B1,A3   ; A3 = a(n) * x(n)
        MPYH   .M2X A0,B1,B3   ; B3 = a(n+1) * x(n+1)
        ADD    .L1 A3,A4,A4    ; yeven(n) += A3
        ADD    .L2 B3,B4,B4    ; yodd(n) += B3
[A2]    SUB    .S1 A2,1,A2     ; decrement loop counter
[A2]    B      .S2 fir         ; if A2 != 0, then branch
        ADD    .L1 A4,B4,A4    ; Y = Yodd + Yeven
        STH    .D1 A4,*A7      ; *A7 = Y
    
```

Throughput of two multiply-accumulates per cycle

Ordered Dithering on a TMS320C62x

periodic
array of
thresholds

1/8	5/8	7/8	3/8
7/8	3/8	1/8	5/8

Throughput of two cycles

```

; remove next two lines if thresholds in linear array
        MVK      .S1 0x0001, AMR          ; modulo block size 2^2
        MVKH     .S1 0x4000, AMR          ; modulo addr reg B6
; initialize A6 and B6
        .trip    100                      ; minimum loop count
dith:    LDB      .D1 *A6++, A4             ; read pixel
||       LDB      .D2 *B6++, B4           ; read threshold
||       CMPGTU   .L1x A4, B4, A1         ; threshold pixel
||       ZERO     .S1 A5                  ; 0 if <= threshold
        [A1]     MVK      .S1 255, A5      ; 255 if > threshold
||       STB      .D1 A5, *A6++           ; store result
||[B0]    SUB     .L2 B0, 1, B0           ; decrement counter
||[B0]    B       .S2 dith                ; branch if not zero
    
```

More Efficient Ordered Dithering on the C6x

```

    MVK      .S1 0x00ff, A8          ; white pixel #1
||    MVK      .S2 0x0001, AMR       ; modulo block size 2^2
    SHL      .S1 A8, 8, A9          ; white pixel #2
||    MVKH     .S2 0x4000, AMR       ; modulo addr reg. B6
    SHL      .S1 A8, 16, A10        ; white pixel #3
||    SHL      .S2 A8, 24, B9        ; white pixel #4

; initialize
;   A2 number of pixels divided by 4
;   A6 pointer to pixels (will be overwritten)
;   B6 pointer to thresholds
dith2: LDW     .D1 *A6, A4           ; read 4 pixels (bytes)
      LDW     .D2 *B6++, B4         ; read 4 thresholds
      EXTU    .S1 A4, 24, 24, A12    ; extract pixel #2
      EXTU    .S2 B4, 24, 24, B12    ; extract threshold #2
      ZERO    .L1 A5                ; store output in A5
      CMPLTU  .L2 A12, B12, B0      ; B0 = (A12 < B12)
```

Throughput of 1.25 pixels

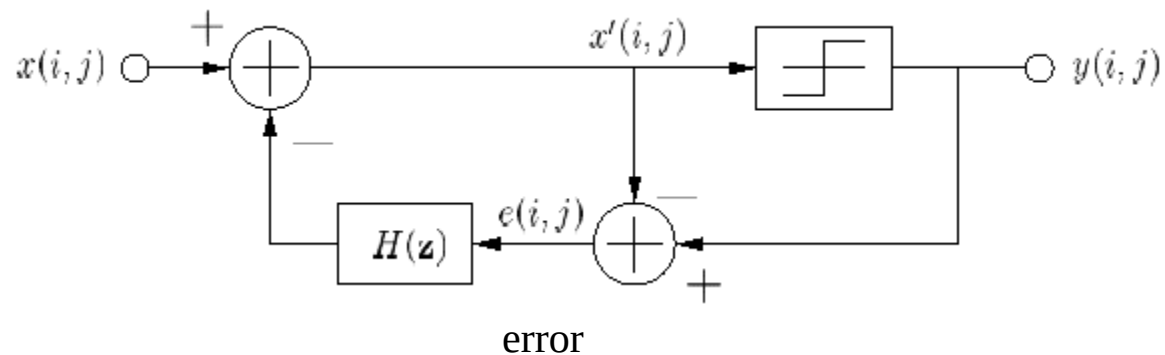
Initialization

More Efficient Ordered Dithering on the C6x

	EXTU	.S1 A4, 16, 24, A13	; extract pixel #2
	EXTU	.S2 B4, 16, 24, B13	; extract threshold #2
[!B0]	OR	.L1 A5, A8, A5	; output of pixel 1
	CMPLTU	.L2 A13, B13, B1	; B1 = (A13 < B13)
	EXTU	.S1 A4, 8, 24, A14	; extract pixel #3
	EXTU	.S2 B4, 8, 24, B14	; extract threshold #3
[!B1]	OR	.L1 A5, A9, A5	; output of pixels 1-2
	CMPLTU	.L2 A14, B14, B2	; B2 = (A14 < B14)
	EXTU	.S1 A4, 0, 24, A15	; extract pixel #4
	EXTU	.S2 B4, 0, 24, B15	; extract threshold #4
[!B2]	OR	.L2 A5, B9, B5	; output of pixels 1-3
	CMPLTU	.L1 A15, B15, A1	; B2 = (A15 < B15)
[!A1]	OR	.S1 B5, A11, A5	; output of pixels 1-4
	STW	.D1 A5, *A6++	; store results
[A2]	SUB	.L1 A2, 1, A2	; decrement loop count
[A2]	B	.L2 dith2	; if A2 != 0, branch

Floyd-Steinberg Error Diffusion

- Noise-shaped feedback coder (2-D sigma delta)



- Error filter $H(z)$

		$\frac{7}{16}$
$\frac{3}{16}$	$\frac{5}{16}$	$\frac{1}{16}$

Floyd-Steinberg Error Diffusion

- C implementation color/grayscale error diffusion
- Replacing multiplications with adds and shifts
 - ▶ $3 * \text{error} = (\text{error} \ll 2) - \text{error}$
 - ▶ $5 * \text{error} = (\text{error} \ll 2) + \text{error}$
 - ▶ $7 * \text{error} = (\text{error} \ll 3) - \text{error}$
 - ▶ Can reuse $(\text{error} \ll 2)$ calculation
- Replace division by 16 with adds and shifts
 - ▶ $n \gg 4$ does not give right answer for negative n
 - ▶ Add offset of $2^4 - 1 = 15$ for negative n : $(n + 15) \gg 4$
 - ▶ Alternative is to work with $|\text{error}|$
- Combine nested for loops into one for loop that can be pipelined by the C6x tools

C/C++ Coding Tips

■ Local variables

- ▶ Define only when and where needed to assist compiler in mapping variables to registers (especially on C6x)
- ▶ Give initial values to avoid uninitialized read errors
- ▶ Choose names to indicate purpose and data type
- ▶ In C, may only be defined at start of new environment
- ▶ In C++, may be defined anywhere
- ▶ Function arguments as local variables (may be updated)

■ Reading strings from files using `fgets`

- ▶ Reads N characters or newline, whichever comes first
- ▶ Does not guarantee that newline is read
- ▶ Does not guarantee that string is null terminated

■ Define as many constants as possible

C/C++ Coding Tips

```
int fileHasLine(FILE *filePtr,
                char *searchStr) {
    char bufStr[128], *strPtr;
    int foundFlag;
    foundFlag = 0;
    while ( ! feof(filePtr) ) {
        strPtr = fgets(bufStr, 127, filePtr);
        if (strPtr &&
            strcmp(bufStr,searchStr) == 0) {
            foundFlag = 1;
            break;
        }
    }
    return(foundFlag);
}
```

Not robust

```
#define BUFLen 128
```

Robust

```
int fileHasLine(FILE *filePtr,
                const char *searchStr) {
    int foundFlag = FALSE;
    while ( ! feof(filePtr) ) {
        char bufStr[BUFLen];
        int bufStrLen = 0;
        char *strPtr =
            fgets(bufStr, BUFLen-1, filePtr);
        bufStr[BUFLen-1] = '\0';
        bufStrLen = strlen(bufStr);
        if ( bufStr[bufStrLen-1] == '\n' )
            bufStr[bufStrLen - 1] = '\0';
        if (strPtr &&
            strcmp(bufStr,searchStr) == 0) {
            foundFlag = TRUE;
            break;
        }
    }
    return(foundFlag);
}
```

Differences
in blue

C/C++ Coding Tips

■ Allocating dynamic memory

- ▶ Function `malloc` allocates but does not initialize values: use `calloc` (allocate/initialize) or `memset` (initialize)
- ▶ In C++, `new` operator calls `malloc` and then calls the constructor for each created object
- ▶ On failure, `malloc` and `new` return 0: when `new` fails, `_new_handler` is called if set (set by `set_new_handler`)

■ Deallocating dynamic memory

- ▶ Function `free` crashes if passed a null pointer
- ▶ In C++, `delete` operator first calls destructor of object(s) and then calls `free`: `delete` ignores null pointers
- ▶ Use `delete [] arrayPtr` to deallocate an array
- ▶ Zero pointer after deallocating it to prevent redeallocation
- ▶ Deallocate a pointer before reassigning it

C/C++ Coding Tips

```
Filter::Filter() {  
    buf = 0;  
}  
Filter::AllocateBuffer(int n) {  
    buf = new int [n];  
}  
Filter::DeallocateBuffer() {  
    if (buf) delete buf;  
}  
Filter::~Filter() {  
    DeallocateBuffer();  
}
```

Not robust

```
Filter::AllocateBuffer(int n) {  
    DeallocateBuffer();  
    buf = new int [n];  
    if (buf == 0) {  
        cerr << "allocation failed";  
        exit(0);  
    }  
    memset(buf, 0, n* sizeof(int));  
}  
Filter::DeallocateBuffer() {  
    delete [] buf;  
    buf = 0;  
}
```

*Robust (keep constructor
and destructor)*

C/C++ Coding Tips

■ Static string length

```
#define KEYSTR "MarketShare"  
#define STATIC_STRLEN(s) (sizeof(s) - 1)  
strncmp(strBuf, KEYSTR, STATIC_STRLEN(KEYSTR)) == 0)
```

■ Dynamic string length

```
#define IS_STRING_NULL(s) (! *(s))  
#define IS_STRING_NOT_NULL (*(s))
```

```
char* robustGetString(char* bufStr, int bufLen, FILE* filePtr) {  
    char *strPtr = fgets(bufStr, bufLen-1, filePtr);  
    bufStr[bufLen-1] = '\0';  
    bufStrLen = strlen(bufStr);  
    if ( bufStr[bufStrLen-1] == '\n' ) bufStr[bufStrLen - 1] = '\0';  
    return(strPtr);  
}
```

Conclusion

■ Printer pipeline

- ▶ RGB to YCrCb conversion
- ▶ JPEG compression and decompression
- ▶ Document segmentation and enhancement
- ▶ YCrCb to RGB to CMYK conversion
- ▶ Interpolation (e.g. nearest neighbor or bilinear)
- ▶ Halftoning (e.g. ordered dither or error diffusion)

■ Split embedded software systems

- ▶ C++ for non-real-time tasks: GUIs and file input/output
- ▶ C for low-level image processing operations
- ▶ ANSI C can be cross-compiled onto DSPs
- ▶ Program C code to work with blocks or rows because embedded processors have little on-chip memory

Conclusion

■ Web resources

- ▶ comp.dsp newsgroup: FAQ www.bdti.com/faq/dsp_faq.html
- ▶ embedded processors and systems: www.eg3.com
- ▶ on-line courses and DSP boards: www.techonline.com
- ▶ software development:
www.ece.utexas.edu/~bevans/talks/software_development/
- ▶ TI color laser printer xStream technology
www.ti.com/sc/docs/dsps/xstream/index.htm

■ References

- ▶ B. L. Evans, "Software Development in the Unix Environment".
http://www.ece.utexas.edu/~bevans/talks/software_development/
- ▶ B. L. Evans, "EE379K-17 Real-Time DSP Laboratory," UT Austin.
<http://www.ece.utexas.edu/~bevans/courses/realtime/>
- ▶ B. L. Evans, "EE382C Embedded Software Systems," UT Austin.
<http://www.ece.utexas.edu/~bevans/courses/ee382c/>