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Visual Attention Guided Quality Assessment for Tone Mapped Images Using Scene Statistics

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Introduction

- Scene luminance varying from 10^{-4} to 10^6 cd/m² [Narwaria2013]
- High dynamic range (HDR) images preserve more detail

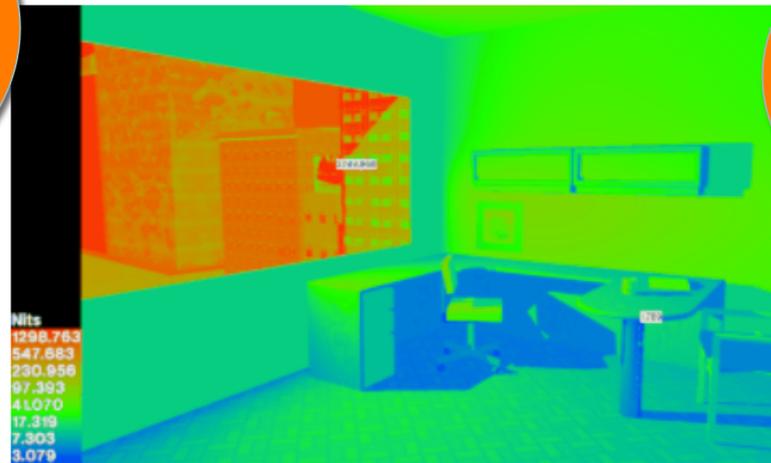


- HDR picture capture (e.g. smart phones and DSLR cameras)
- HDR video displays for home (e.g. Samsung)
- HDR streaming content (e.g. Amazon Video and Netflix)
- HDR graphics rendering (e.g. Unreal and CryEngine)

Tonemapping Operators [Larson1997]

Uniformly spaced quantization of luminance overexposes the view through the window

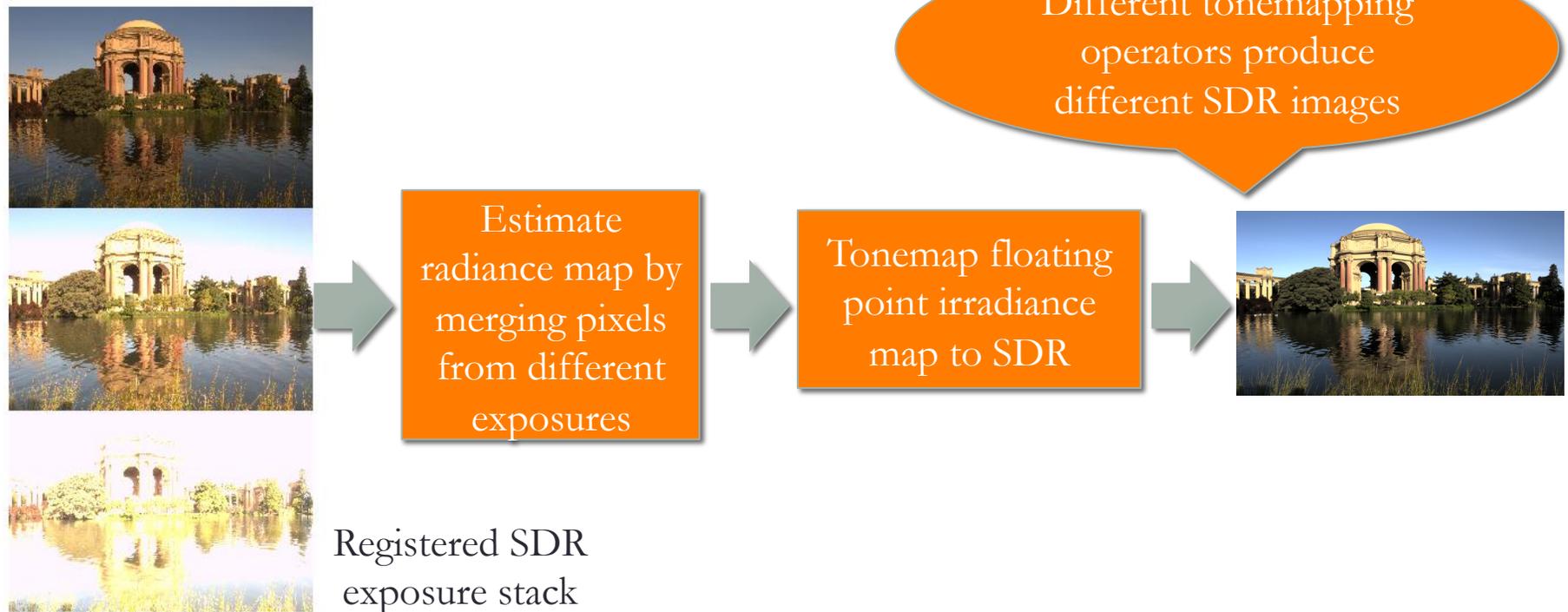
World luminance values for a window office in candelas per meter squared



Luminance mapped to preserve visibility of both indoor & outdoor features using non-linear tonemapping



Tonemapping from HDR to SDR



- Propose three image quality assessment (IQA) algorithms
- Evaluate HDR radiance map and tonemapped SDR image

Tone Mapped Quality Index [Yeganeh2013]

- Overall Tone Mapped Quality Index $Q = aS^\gamma + (1 - a)N^\delta$
 - $a = 0.8012$, $\gamma = 0.3046$ and $\delta = 0.7088$
- Structural fidelity (S) of HDR and tonemapped SDR image
 - Structural similarity with penalty for large change in signal strength
 - *Pooling*: Average modified SSIM on 11 x 11 windows
 - Combine structural fidelity at each of five scales
- Naturalness (N) of tonemapped SDR image
 - Compute its global mean m and global standard deviation d
 - P_m and P_d are fits for global means & standard deviations for 3000 SDR natural images

$$N = \frac{P_m(m) P_d(d)}{\max\{P_m(m), P_d(d)\}} = \min\{P_m(m), P_d(d)\}$$

[More Info](#)

Change #1: Naturalness Measure

- Natural scene statistics (NSS) approach for IQA
 - Statistics of pristine images occur irrespective of content
 - Statistics of images with [distortions](#) deviate from scene statistics
- Mean subtracted contrast normalized pixels for image $I(i, j)$

$$\hat{I}(i, j) = \frac{I(i, j) - \mu(i, j)}{\sigma(i, j) + 1} \quad [\text{Ruderman1993}]$$

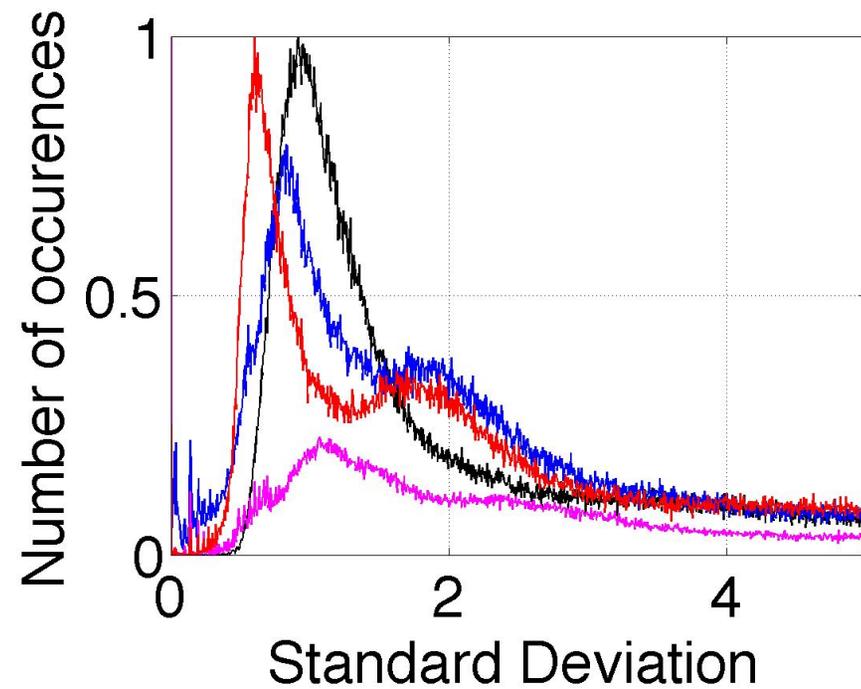
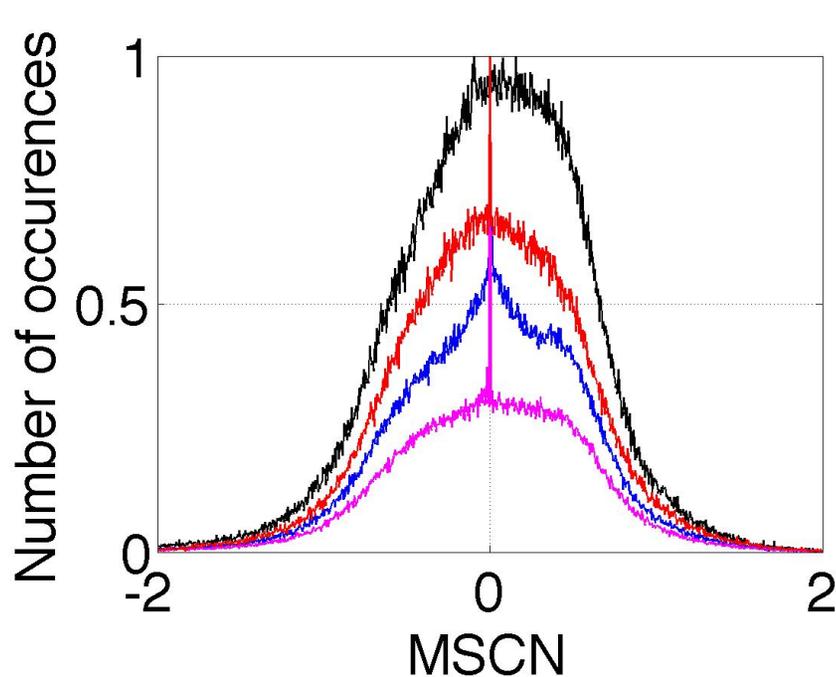
At pixel (i, j) , use 11x11 window and uniform Gaussian filter ($\sigma = 1.17$)

$$\mu(i, j) = \sum_{k=-K}^K \sum_{l=-L}^L w_{k,l} I(i+k, j+l) \quad \text{is weighted mean}$$

$$\sigma(i, j) = \sqrt{\sum_{k=-K}^K \sum_{l=-L}^L w_{k,l} [I(i+k, j+l) - \mu(i, j)]^2} \quad \text{is weighted standard deviation}$$

MSCN models divisive normalization in retina

Tonemappings of Same Scene



MSCN coefficient distribution and σ -field distribution for different tonemapping operators

Proposed Naturalness Measure

- TMQI combines structural fidelity (S) and naturalness (N)

$$Q = aS^\gamma + (1 - a)N^\delta$$

- Proposed naturalness measure based on scene statistics

$$Q = aS^\gamma + \frac{1}{2}(1 - a)\beta^{\delta_1} + \frac{1}{2}(1 - a)\phi^{\delta_2}$$

β : **Exponent** of [generalized Gaussian](#) fit of MSCN pixels of tonemapped SDR image

ϕ : **Standard deviation** of σ -field of tonemapped SDR image

$a = 0.8012$, $\gamma = 0.3046$ and $\delta_1 = \delta_2 = \delta = 0.7088$ (same as in TMQI)

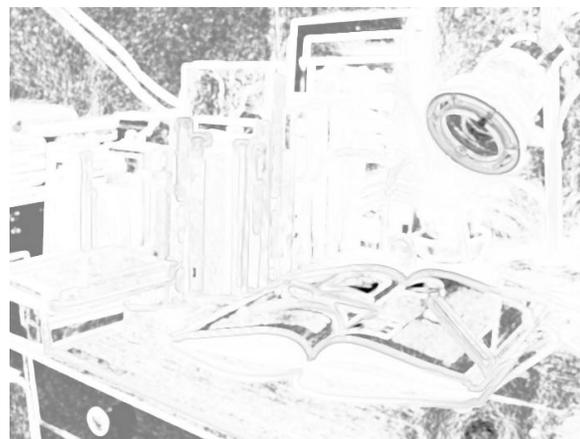
- Used in all three proposed IQA algorithms

Change #2: Pooling Approach

- Average pooling gives same importance to every pixel
- Information Maximization TMQI [Nasrinpour2015]
- Propose non-uniform pooling strategies using scene statistics
 - σ -map gives measures of **edge magnitude** and **high contrast** regions
 - **Local entropy** indicates local randomness (contrast)
 - [Itti and Koch's](#) saliency approach generalized for HDR images [Petit2009]



Tonemapped image



Structural fidelity map



Structural fidelity with pooling

TMQI Database [Yeganeh2013]

- 15 HDR source images, each mapped to SDR w/ 8 tonemaps
 - Subjects ranked 8 SDR images for every HDR source image
 - Correlated predicted and subjective ranks of tonemapped images
 - Median of correlation computations shown below

Full Reference IQA Algorithm	<u>SROCC</u>	<u>PLCC</u>	<u>KCC</u>	Time (s)
Proposed TMQI-NSS- σ pooling	0.8810	0.9439	0.7857	0.32
Proposed TMQI-NSS-Entropy pooling	0.8810	0.9438	0.7143	1.28
Proposed SHDR-TMQI pooling from [Petit2009]	0.8810	0.9346	0.7143	0.80
FSITM-TMQI [Nafchi2014]	0.8571	0.9230	0.7857	0.94
STMQI [Nasrinpour2015]	0.8503	0.9382	0.7638	1.54
TMQI-II [Ma2015]	0.8333	0.8790	0.7143	0.20
Feature Similarity Index for Tone-Mapped Images (FSITM) [Nafchi2014]	0.8333	0.8948	0.7143	0.47
TMQI [Yeganeh2013]	0.8095	0.9082	0.6429	0.52

HDR-JPEG Database [Narwaria2013]

- 10 source HDR images, each has 14 degraded versions
 - JPEG encoding at 7 different bit rates
 - SSIM and MSE used to design HDR->SDR and SDR->HDR mappings
 - 27 subjects rated individual HDR images on HDR displays on 1-5 scale

Full Reference IQA Algorithm	<u>SROCC</u>	<u>PLCC</u>	<u>KCC</u>	Time (s)
Proposed SHDR-TMQI pooling from [Petit2009]	0.8510	0.8533	0.6700	3.00
Proposed TMQI-NSS- σ pooling	0.8485	0.8520	0.6659	1.65
Proposed TMQI-NSS-Entropy pooling	0.8454	0.8645	0.6719	6.74
TMQI [Yeganeh2013]	0.7947	0.8057	0.6127	3.45
FSITM-TMQI [Nafchi2014]	0.6300	0.6584	0.4762	8.35
TMQI-II [Ma2015]	0.5096	0.5137	0.3642	1.34
Feature Similarity Index for Tone-Mapped Images (FSITM) [Nafchi2014]	0.4720	0.5167	0.3422	5.26
STMQI [Nasrinpour2015]	0.3464	0.3244	0.2449	12.00

Conclusion

- Perceptually-guided pooling boosts correlation with human subjective ratings vs. average pooling
- Pooling using σ -map has good correlation vs. runtime tradeoff
- Software: <http://signal.ece.utexas.edu/~bevans/HDRImaging/>

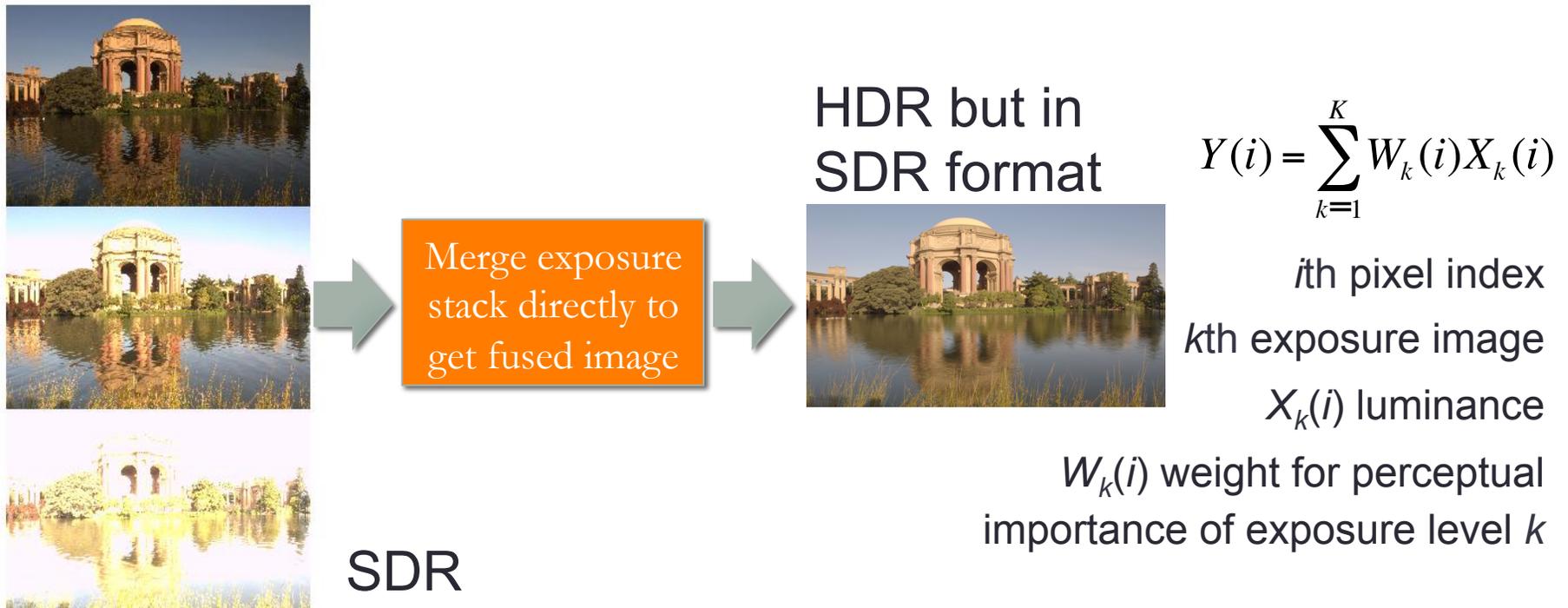
More Recent Work

- ESPL-LIVE HDR Image Database of 1800+ HDR pictures
http://signal.ece.utexas.edu/~debarati/ESPL_LIVE_HDR_Database
 - Crowdsourced study with 5000 observers and 300,000 opinion scores
 - Proposed and evaluated no-reference IQA algorithms for HDR images
- Joint effort with D. Ghadiyaram and A. C. Bovik, UT Austin

References

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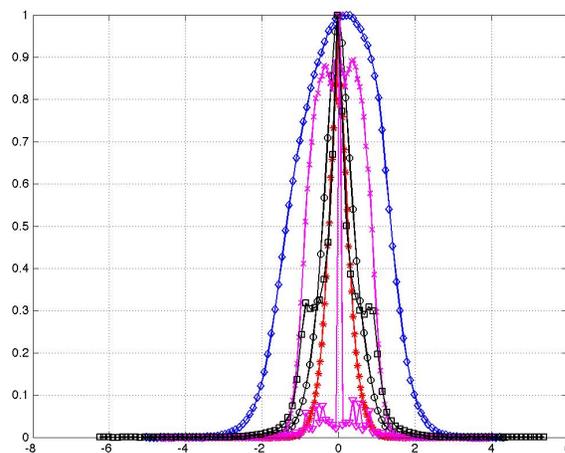
Multi-Exposure Fusion



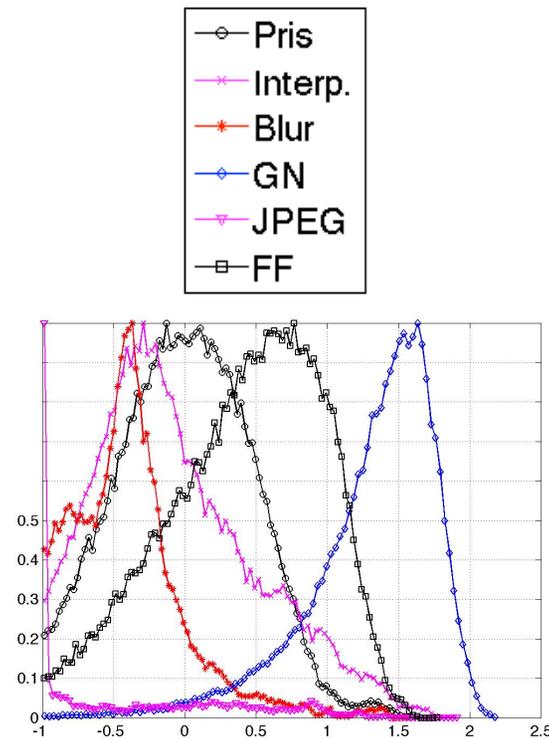
- Registered exposure stack of K images
 - Standard dynamic range (SDR) images
 - Requires camera calibration and motion compensation

Distorted Image Statistics

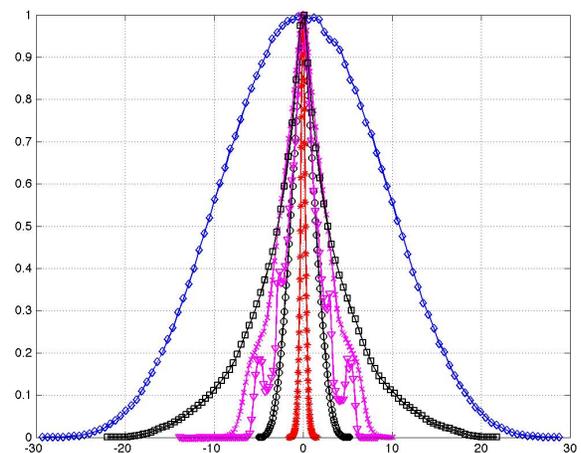
- Different **distortions affect scene statistics** characteristically
- Used for distortion classification and blind quality prediction



MSCN Coefficients



Curvelet Coefficients



Steerable Pyramid Wavelet Coefficients

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Tone Mapped Quality Index [Yeganeh2013]

- Tonemapping meant to change local intensity & contrast
- **Structural fidelity** modifies Structural Similarity (SSIM)
 - Penalizes large change in strength in HDR vs. SDR image patch
 - Local standard deviations nonlinearly mapped via Gaussian CDF

- Significant signal strength mapped to 1

- Insignificant signal strength mapped to 0

$$p(s) = \frac{1}{\sqrt{2\pi}\theta_s} \int_{-\infty}^s \exp\left[-\frac{(x - \tau_s)^2}{2\theta_s^2}\right] dx$$

- Structural fidelity computation over **five scales**
- **Naturalness** measure of tonemapped SDR image

- Distribution of global means
in 3000 natural images

$$P_m(m) = \frac{1}{\sqrt{2\pi}\sigma_m} \exp\left[-\frac{m - \mu_m}{2\sigma_m^2}\right]$$

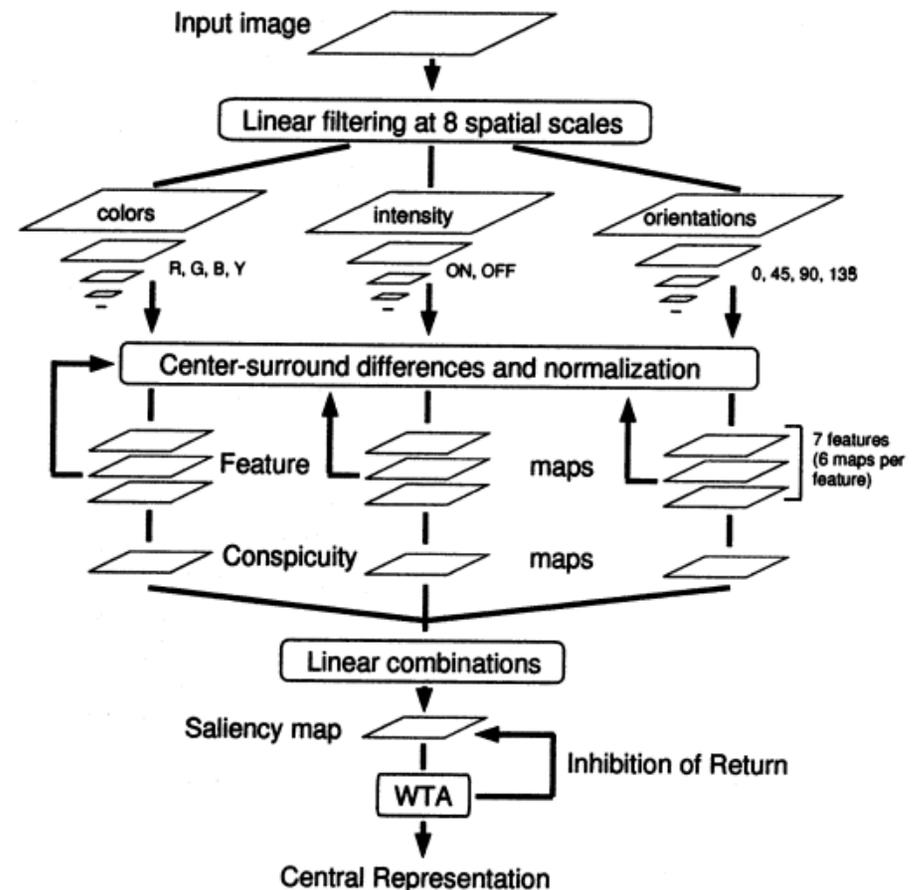
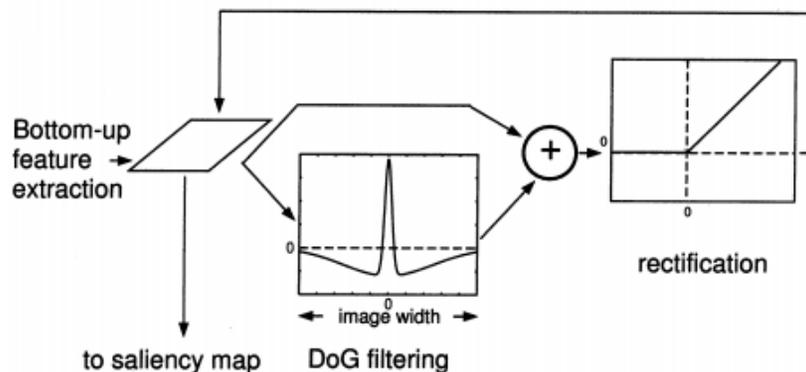
- Distribution of global standard
deviations in 3000 natural images

$$P_d(d) = \frac{(1 - d)^{\beta_d - 1} d^{\alpha_d - 1}}{B(\alpha_d, \beta_d)}$$

Itti and Koch's Saliency

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- Different scales
 - Implemented as Gaussian Pyramid
- Center Surround mechanism
 - Implemented with DoG
- LPF repeated over multiple scales
- 3 scales, 4 orientations used



Generalized Gaussian Density

- **GGD** $p_g(r) = \frac{\beta}{2\sigma\Gamma(\beta^{-1})} \exp\left(-|r|/\sigma\right)^\beta \quad r \in \mathfrak{R}, \sigma, \beta > 0$

includes the **special cases**

$\beta = 1$ (**Laplacian** density)

$\beta = 2$ (**Gaussian** density)

$\beta = \infty$ (**uniform** density)

- Many authors observe **GGD behavior** of **bandpass image** signals
 - Wavelet coefficients
 - DCT coefficients
 - **Usually** reported that $\beta \gg 1$ but **varies** ($0.8 < \beta < 1.4$)

Calculating Correlations

- Spearman's Rank-Order Correlation Coefficient (SRCC)

d_i is difference between i th image's ranks in subjective and objective evaluations

N is number of rankings

$$SRCC = 1 - \frac{6 \sum_{i=1}^N d_i^2}{N(N^2 - 1)}$$

- Kendall's correlation coefficient (KCC)

N_c and N_d are the number of concordant (of consistent rank order) and discordant (of inconsistent rank order) pairs in the data set respectively

N is number of rankings

$$KCC = \frac{N_c - N_d}{0.5N(N - 1)}$$

- Pearson's Linear Correlation Coefficient (PLCC)

$$r = \frac{n \left(\sum_{i=1}^n x_i y_i \right) - \left(\sum_{i=1}^n x_i \right) \left(\sum_{i=1}^n y_i \right)}{\sqrt{\left(n \sum_{i=1}^n x_i^2 - \left(\sum_{i=1}^n x_i \right)^2 \right) \left(n \sum_{i=1}^n y_i^2 - \left(\sum_{i=1}^n y_i \right)^2 \right)}}$$