

Jonathan W. Valvano November 12, 2003, 1 to 1:50pm

(30) Question 1. Let  $t_1$  be the E clock period with stretching.  $t_{DW}$  is 100ns.

$$WDA = (106, t_1 + 20)$$

the rise of CS1 occurs at  $t_1 + [0,10]$ , so

$$WDR = (t_1 + [0,10] - 100, t_1 + [0,10])$$

To make it WDA overlap WDR, we need

$$106 = t_1 + [0,10] - 100$$

or

$$206 = t_1$$

which is 1 stretch (makes  $t_1 = 250$ ns).

(15) Question 2.

$$*(short *)0x0910 = *(short *)0xFFEE;$$

(25) Question 3.

(10) Part a) Start with

$$y(n) = (12x(n) + 92x(n-3) - 60y(n-2))/100$$

then simplify to

$$y(n) = (3x(n) + 23x(n-3) - 15y(n-2))/25$$

(5) Part b)  $3*511 + 23*511 - 15*-512 = 1533 + 11753 + 7680 = 20966$

short because it is less than 32767

(10) Part c) Convert all terms to constants

$$y = (3x + 23x - 15y)/25$$

Solve for  $y/x$

$$25y = 3x + 23x - 15y$$

$$40y = 26x$$

$$y/x = 26/40 = 0.65$$

(30) Question 4. Match input range of 0.5 to 1.0 into output range of 0 to 5.0.

(10) Part a)  $V_{out} = 10*(V_{in}-0.5)$  or  $V_{out} = 10*V_{in}-5$

(20) Part b)

Add  $V_{ref} = 2.5V$

$$V_{out} = 10*V_{in} - 2*V_{ref}$$

Add  $V_g = 0V$ , to make sum of gains equal to 1

$$V_{out} = 10*V_{in} - 2*V_{ref} - 7*V_g$$

Chose  $R_f = 140 k\Omega$ , as the least common multiple of 10, 2, 7

Build

